Faculty of Science and Mathematics / MATHEMATICS / PROBABILITY THEORY

| Course: | PROBABILITY THEORY |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Course ID | Course status | Semester | ECTS credits | Lessons (Lessons+Exer cises+Laboratory) |
| 3975 | Mandatory | 5 | 6 | $3+2+0$ |
| Programs | MATHEMATICS |  |  |  |
| Prerequisites | It is not conditioned. |  |  |  |
| Aims | Adopt the basic concepts of probability and trained for solving probabilistic tasks. |  |  |  |
| Learning outcomes | After passing this exam student will be able to: 1. Precisely define the basic probabilty notions. 2. Formulate basic theorems. 3. Modele random experiment. 4. Recognizes practical problems which can be solved by Probabilty methods. 5. Use the theoretical results and standard procedures for dealing probablity tasks of medium difficulty. |  |  |  |
| Lecturer / Teaching assistant | Goran Popivoda and Anđela Mijanović |  |  |  |
| Methodology | Lectures, consultations and homeworks. |  |  |  |
| Plan and program of work |  |  |  |  |
| Preparing week | Preparation and registration of the semester |  |  |  |
| I week lectures | Introduction to the subject. The concept of random events. Operations with events. |  |  |  |
| I week exercises |  |  |  |  |
| II week lectures | Probability, properties. Borel-Cantelli lemma. |  |  |  |
| Il week exercises |  |  |  |  |
| III week lectures | Classical definition of probability. Examples. Conditional probability and independent events. |  |  |  |
| III week exercises |  |  |  |  |
| IV week lectures | The concept of random variables and probability distribution. |  |  |  |
| IV week exercises |  |  |  |  |
| $\checkmark$ week lectures | Probability distribution function. Properties. |  |  |  |
| V week exercises |  |  |  |  |
| VI week lectures | Types of random variables. |  |  |  |
| VI week exercises |  |  |  |  |
| VII week lectures | Important distributions. |  |  |  |
| VII week exercises |  |  |  |  |
| VIII week lectures | Random vectors, marginal distribution. Independence of random variables. |  |  |  |
| VIII week exercises |  |  |  |  |
| IX week lectures | Random variables obtained by Borel mapping. Transformation of random vectors. |  |  |  |
| IX week exercises | Colloquium. |  |  |  |
| $X$ week lectures | Expectation, properties and basic theorems. |  |  |  |
| X week exercises |  |  |  |  |
| XI week lectures | Dispersion and correlation. Conditional expectation. |  |  |  |
| XI week exercises |  |  |  |  |
| XII week lectures | Characteristic functions. |  |  |  |
| XII week exercises |  |  |  |  |
| XIII week lectures | Types of convergence in probability. |  |  |  |
| XIII week exercises |  |  |  |  |
| XIV week lectures | Law of large numbers. |  |  |  |
| XIV week exercises |  |  |  |  |
| XV week lectures | Second colloquium. |  |  |  |


| XV week exercises |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Student workload |  |  |  |  |  |  |
| Per week |  |  | Per semester |  |  |  |
| $\mathbf{6}$ credits $\mathbf{x} \mathbf{4 0 / 3 0}=\mathbf{8}$ hours and $\mathbf{0}$ minuts$\mathbf{3}$ sat(a) theoretical classes0 sat(a) practical classes$\mathbf{2}$ excercises$\mathbf{3}$ hour(s) i $\mathbf{0}$ minutsof independent work, including consultations |  |  | Classes and final exam: <br> $\mathbf{8}$ hour(s) i $\mathbf{0}$ minuts $\mathbf{x} \mathbf{1 6 = 1 2 8}$ hour(s) i $\mathbf{0}$ minuts <br> Necessary preparation before the beginning of the semester (administration, registration, certification): <br> $\mathbf{8}$ hour(s) i $\mathbf{0}$ minuts $\mathbf{x} \mathbf{2}=\mathbf{1 6}$ hour(s) i $\mathbf{0}$ minuts <br> Total workload for the subject: <br> $\mathbf{6 \times 3 0 = 1 8 0}$ hour(s) <br> Additional work for exam preparation in the preparing exam period, including taking the remedial exam from 0 to 30 hours (remaining time from the first two items to the total load for the item) <br> 36 hour(s) i 0 minuts <br> Workload structure: $\mathbf{1 2 8}$ hour(s) i $\mathbf{0}$ minuts (cources), $\mathbf{1 6}$ hour(s) i 0 minuts (preparation), $\mathbf{3 6}$ hour(s) i $\mathbf{0}$ minuts (additional work) |  |  |  |
| Student obligations |  |  | Class attendance, taking the colloquiums and last exam. |  |  |  |
| Consultations |  |  |  |  |  |  |
| Literature |  |  | 1. S. Stamatović: Vjerovatnoća. Statistika, PMF 2000. 2. G. Grimett and D. Stirzaker: Probability and Random Processes, Oxford University Press, 2012. 3. B. Stamatović S. Stamatović; Zbirka zadataka iz Kombinatorike, Vjerovatnoće i Statistike, PMF 2005. |  |  |  |
| Examination methods |  |  | Two colloquiums, maximum points are 30, each. Final exam, maximum points are 40 . Mark E: from 50 to 59 points, mark D: from 60 to 69 points, mark C: from 70 to 79 points, mark B: from 80 to 89 points, mark A: from 90 to 100 points. |  |  |  |
| Special remarks |  |  |  |  |  |  |
| Comment |  |  |  |  |  |  |
| Grade: | F | E | D | C | B | A |
| Number of points | less than 50 points | greater than or equal to 50 points and less than 60 points | greater than or equal to 60 points and less than 70 points | greater than or equal to 70 points and less than 80 points | greater than or equal to 80 points and less than 90 points | greater than or equal to 90 points |

